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# The Helium compiler

- Haskell is a higher-order functional programming language similar to Miranda and ML.
- ▶ Helium is a maintainable Haskell 98 compiler with a few restrictions.
- ► A major design criterion is the ability to give good error messages.
- Used in a first year functional programming course.
- Compiled programs are logged.
- Can be used to verify the usefulness of the system.

## Types and type systems

- Reasons for type checking
  - discovery of errors before testing,

```
if (very-likely) then
x+1
else
x+True
```

- efficiency (memory, time), and
- documentation.
- Type systems are practically motivated: type checking should be fast.
- Programmer writes types in his program, compiler checks these.
- Type inferencing allows programmer to drop type annotations.
- Expressiveness of the programming language often leads to cryptic error messages.

### A correct program

```
main as bs =
  let
    reverse [] = []
    reverse (x:xs) = (reverse xs) ++ [x]
  in
    (reverse as) : (reverse bs)
```

In Haskell, : means cons, ++ is concatenation.

- ▶ We can infer that reverse :: [a] -> [a].
- The type variable 'a' can be any type.

## **Example 1: avoiding left-to-right bias**

```
main as bs =
  let
    reverse [] = True
    reverse (x:xs) = (reverse xs) ++ [x]
    in
      (reverse as) : (reverse bs)
```

Line 4:	ghc (and Hugs)
Couldn't match '[a]' against 'Bool'	
Expected type: [a]	
Inferred type: Bool	
In the application 'reverse xs'	
In the first argument of '(++)', namely '	(reverse xs)'

Line (3,10): Type	error in right hand side	Helium
term	: True	
type	: Bool	
does not match	: [a]	

## **Example 2: giving hints**

main as bs =	
let reverse [] = []	
reverse (x:xs) = <mark>(reverse xs)</mark> . [x]	
in (reverse as) : (reverse bs)	
Rev3.hs:3:	ghc
Couldn't match 'b -> c' against '[a]'	U
Expected type: b -> c	
Inferred type: [a]	
Probable cause: 'reverse' is applied to too many	arguments
in the call (reverse xs)	
In the first argument of (.)', namely (reverse	xs)'
(3,23): Type error in variable	Helium
expression :.	
type : (a -> b) -> (c -> a) -> c -> b	
expected type : [d] -> [e] -> [d]	
probable fix : use ++ instead	

# **Our contributions**

Separation of type inference process into three different phases:

- 1. Generate the constraints in the abstract syntax tree.
- 2. Order the constraints into a list.
- 3. Solve the constraints.
- ▶ There is no single best type inferencer: phase 2 and 3 can be tuned.
- Development of special constraints to deal efficiently and elegantly with let-polymorphism (and explicit types).
- Global approach to solving constraints.
- ▶ The use of heuristics for deciding the most likely source of an error.
- ▶ Implementing this for a full blown programming language.
- ► An aside: need not be limited to Haskell.

#### **Equality constraints example**



## Implicit instance constraints for lets

- ▶ 'let i =  $x \rightarrow x$  in ..i..i..'  $\iff$  '..( $x \rightarrow x$ )..( $x \rightarrow x$ )..'
- ▶ Types of both abstractions derive from the same type  $\forall a.a \rightarrow a$ , but are generally independent.
- ► Two choices:
  - 1. Duplicate constraints for definition of i.
  - 2. Introduce special constraints for this situation.
- Drawbacks first solution:
  - Duplication of effort.
  - Departure from original source makes it more difficult to give good error messages.
- Drawbacks second solution:
  - New sort of constraint is needed (more programming effort).
  - Bias is introduced, because we need to know the (polymorphic) type of i before we consider its instances in the body.

#### Let example: let $i = \langle x \rightarrow x \text{ in } i i \rangle$



- ▶ Treewalk on constraint tree yields an ordered list of constraints
- Example: post-order, pre-order,...
- ► Implicit instance constraints like v3 ≤ v8 are solved by turning them into equality constraints at the right time.
- Doing it after the constraints for the definition of 'i' are solved works well enough.
- Every treewalk considers constraints of let definitions before those of the body.
- This introduces some bias: we blame the use of a let definition, not the definition itself.

#### Post-order for $\setminus$ b $\rightarrow$ if b then 0 else not b



# Greedy constraint solving

- ► Take a list of constraints.
- Consider the constraints one by one.
- Update a substitution along the way.
- Inconsistent constraints are ignored, but
- error messages are generated for them.

▶ Int 
$$\equiv v6$$
,  
 $v8 \equiv v9 \rightarrow v7$ ,  
Bool  $\equiv v5$ ,  $v4 \equiv v6$ ,  $v4 \equiv v7$ ,  
 $v2 \equiv v3 \rightarrow v4$ ,  $v3 \equiv v5$ ,  $v3 \equiv v9$ ,  
 $v8 \preceq Bool \rightarrow Bool$ .

▶ We find fault at  $v8 \leq Bool \rightarrow Bool$ , because  $Int \equiv v6 \equiv v4 \equiv v7 \equiv Bool$ .

▶ A different order may find it sooner: postpone  $v2 \equiv v3 \rightarrow v4$ .

# **Global constraint solving**

- ▶ Type graph solver: build a graph from a set of constraints
- Don't forget the order imposed by the lets!
- So we actually build a sequence of such graphs.
- Heuristics work on type graph, yielding a 'most likely source of inconsistencies'
  - Siblings
  - Majority voting
  - Permuting arguments

# Type graph example



• Cutting v4 from v7: the else part is incorrect.

• The constraint  $v4 \equiv v7$  generates an error message to this effect. WS on Immediate Applications of CP 14

### Future work

- Type inferencing in chunks: combines the speed of the greedy solver with the precision of the type graph solver.
- Adding type inference directives for newly added constructs
- Analyzing logger information
- Adding different kinds of program analysis which may use the same infrastructure/solver.
- Programming environment, possibly including
  - type explanation
  - history sensitive type inferencing
  - easy tuning of the compiler
- Apply our ideas to other programming languages and compilers