Lecture 07

Multiple Market Failures and Second-Best Policies

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Roadmap

1. What happens when we have another distortion like market power?

2. How do second-best policies like output taxes or intensity standards work?

Market power and pollution

Market power

Lets consider two extreme cases to understand whether and how market power matters

- 1. Perfect competition
- 2. Monopoly

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- 2. Monopoly

In both cases we will assume that:

1. Marginal costs of production are constant MC

2. The marginal damage from a unit of output is constant giving us constant social marginal costs SMC = MC + MD



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Net gain: -(A+B) + (B+C) + A = C

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Why?

The monopolist accounts for how additional output lowers the market price on inframarginal units



The socially efficient allocation is where social marginal cost is equal to the social marginal benefit

This is where SMC crosses the demand curve: (q^*, p^*)

What is the welfare outcome under the unregulated monopolist outcome?



In the absence of regulation, the monopolist maximizes profit where MR = MC: (q^m, p^m)

This results in deadweight loss equal to the **red** area

Now what happens if we set a Pigouvian tax equal to marginal damage?



The Pigouvian tax restricts output even more, adding deadweight loss equal to the **blue** area on top of the deadweight loss in the **red** area

The tax actually made us worse off by the blue area!

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Why?



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With a pollution externality, the unregulated equilibrium quantity is **too high**



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This means that if we fully correct the pollution externality, we no longer get the off-setting benefit and have the full welfare cost of market power



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In this example, the market power externality dominates the pollution externality: we need to increase output

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You just need marginal damages to be sufficiently large relative to the market power effect on quantity

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What changes is we can no longer fix them both with just a pollution tax/subsidy

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We need:

Pollution tax
Output subsidy

The tax incentivizes abatement, the subsidy incentivizes production

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Will this be efficient?

If so, what assumptions do we need about the production process?



Assume emissions are proportional to output

And MD is constant

The firm chooses to produce/emit at q^u in the unregulated equilibrium

If we tax output equal to MD we can achieve the socially optimal allocation q^*



An output tax can be efficient, **if we assume that emissions are proportional to output**

Now let's break the link between output and emissions by writing down a slightly more complicated model where the firm chooses emissions and output separately

Here's our model:

- Cobb-Douglas production using labor and emissions as inputs: $Q = L^{\alpha} E^{1-\alpha}$
- The firm pays wages w to labor, rental rate r to emissions (capital)
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What does an output tax τ_o do versus a regular emission tax τ_e ?

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The for a social optimum we want to equate the MR (left hand side) with the SMC (right hand side) for both inputs

The firm's problem for the output tax is:

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The output tax penalizes the use of clean labor (despite it not causing any externalities) at a marginal rate of: $\tau_o L^{\alpha-1} E^{1-\alpha}$, this is **not efficient**

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A tax of $\tau_e = d$ can achieve the efficient allocation!

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In this case an output tax incorrectly taxes our clean inputs